

# invnorm(area, 0, 1)

Ex. 2: The Wechler Adult Intelligence Test Scale is composed of a number of subtests. On one subtest, the raw scores have a mean of 35 and a standard deviation of 6. Assuming the raw scores form a normal distribution:

a. What percentage of raw scores are between 31 and 41?

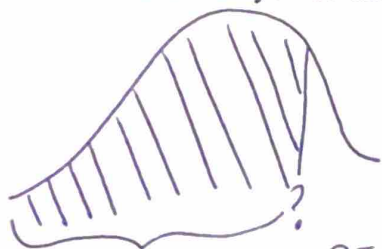
$$z = \frac{31-35}{6} = -0.67 \text{ (LB)}$$

$$z = \frac{41-35}{6} = 1 \text{ (UB)}$$

→ 59%

b. What score represents the 95<sup>th</sup> percentile?

\*\* Hint: Can you do this by hand or do you have to use your calculator?



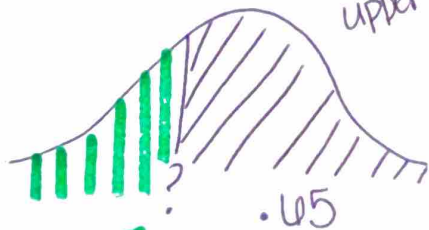
95% → a=0.95

$$z = 1.64$$

$$1.64 = \frac{x-35}{6}$$

$$x = 44.84$$

c. What score represents the 65<sup>th</sup> percentile?



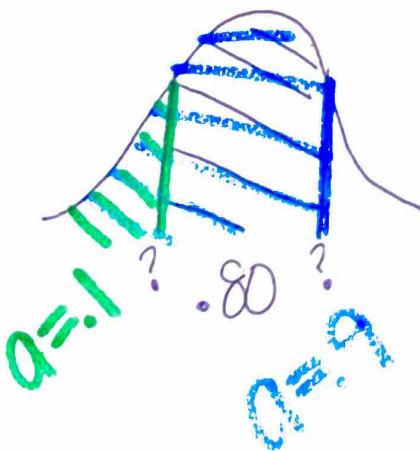
a=.35

$$z = -0.39$$

$$-0.39 = \frac{x-35}{6}$$

$$x = 32.66$$

d. What scores represent the middle 80%?



$$z = -1.28$$

$$-1.28 = \frac{x-35}{6}$$

$$x = 27.32$$

$$z = 1.28$$

$$1.28 = \frac{x-35}{6}$$

$$x = 42.68$$

scores between  
27.32 & 42.68

Steps % → data

① find area (always dec. always from left)

② invnorm to get z-score

③ find data w/ z-score equation

$$z = \frac{\text{data} - \text{mean}}{\text{SD}}$$