

# Graphing Logs

\* remember logs & exp are inverses (this helps w/ key points)

## Parent functions

ex  $y = 4^x$

key pts:

x	y
-1	1/4
0	1
1	4

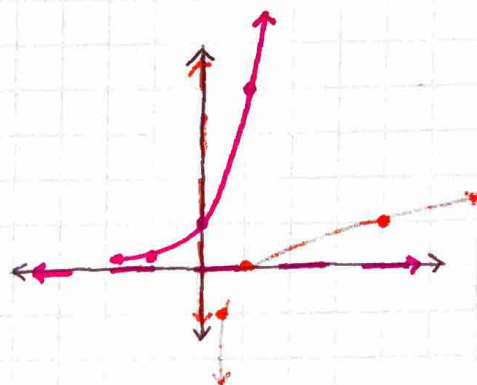
asymptote:  $y = 0$

(the inverse)  
 $y = \log_4 x$

key pts:

x	y
1/4	-1
1	0
4	1

asymptote:  $x = 0$



$$y = a \log_{\text{base}} \left( \frac{x-h}{b} \right) + k$$

$a \rightarrow$  VD  
base  $\rightarrow$  key pts  
 $b \rightarrow$  HD \*

$h \rightarrow$  L/R \*  
 $k \rightarrow$  U/D

## eg $\rightarrow$ graph

ex  $y = 4 \log_3(x-1) + 2$

1. PF & inverse PF

$y = \log_3 x$  &  $y = 3^x$

2. Key pts of inverse PF

$y = 3^x$

x	-1	0	1
y	1/3	1	3

3. key pts of PF

x	1/3	1	3
y	-1	0	1

4. list transformations

VD by 4, R1, U2

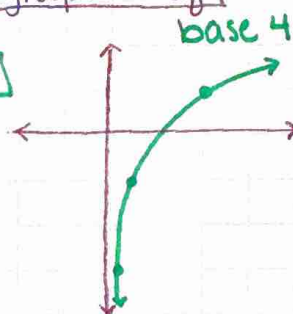
5. graph PF & final

\* don't forget asymptote



## graph $\rightarrow$ eq

ex



1. PF

$y = \log_4 x$

\* 2. L/R (look at the asymptote, should be at  $x=0$ )

none

3. U/D (look at middle pt. should be on the x-axis)

down 1

4. Vertical dilation (look at vertical spaces btwn pts, should be 1)

VD by 2

\* 5. horizontal dilation (look at spaces btwn the middle pt & asymptote)

1/2

6. write eq.

$y = 2 \log_4(2x) - 1$