

10/8 Notes

circle : has a center at (h, k) & equation $(x-h)^2 + (y-k)^2 = r^2$ where r is the radius.

* they are opposites ex. $(x-3)^2 + (y+2)^2 = 4$
center $(3, -2)$

unit circle : center $(0, 0)$ $r=1$ so $x^2 + y^2 = 1$
→ parent function for ellipses.

ellipses

Worksheet

HW 27

$$\left(\frac{x-h}{b}\right)^2 + \left(\frac{y-k}{a}\right)^2 = 1$$

H.D. → # of squares L/R
 V.D. → # of squares U/D
 (h, k) center
 always this

Reminder: A circle with center (h, k) and radius r has equation $(x-h)^2 + (y-k)^2 = r^2$

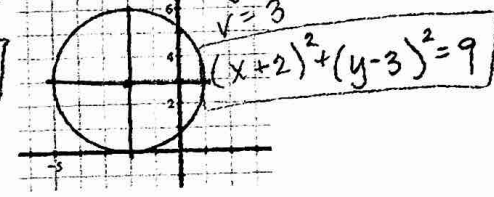
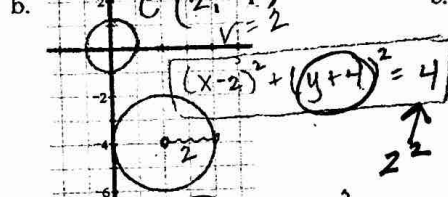
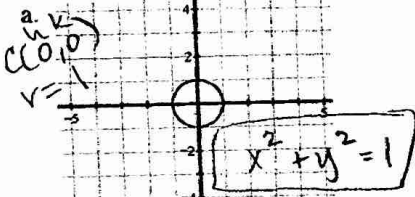
1. State the center and radius of each circle. Then graph the circle.

a. $x^2 + y^2 = 9$ $C(0,0)$
 $r=3$

b. $(x-1)^2 + (y+2)^2 = 16$ $C(1,-2)$
 $r=4$

c. $(x+3)^2 + (y-1)^2 = 4$ $C(-3,1)$
 $r=2$

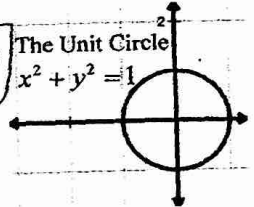
2. Write the equation of each circle.



$(x-0)^2 + (y-0)^2 = (1)^2$

$(x-2)^2 + (y-(-4))^2 = (2)^2$

$(x-5)^2 + (y+9)^2 = 49$



The Unit Circle is the parent equation for circles and ellipses.
We can make an ellipse by stretching the unit circle using vertical and horizontal dilations.

4. Use your knowledge of transformations to complete the table.

Equation	$\left(\frac{x}{3}\right)^2 + \frac{y^2}{1} = 1$ $\frac{1}{3}x \rightarrow \frac{x}{3}$	$\frac{x^2}{1} + \left(\frac{y}{2}\right)^2 = 1$ $\frac{1}{2}y \rightarrow \frac{y}{2}$	$\left(\frac{x}{4}\right)^2 + \left(\frac{y}{3}\right)^2 = 1$
Center	(0,0)	(0,0)	(0,0)
Dilations	Horizontal BAFO 3	Vertical BAFO 2	Horiz. BAFO 4, Vert. BAFO 3
Graph			
Equation	$\left(\frac{x-3}{2}\right)^2 + \left(\frac{y}{3}\right)^2 = 1$	$\left(\frac{x+1}{5}\right)^2 + \left(\frac{y-2}{3}\right)^2 = 1$	$\left(\frac{x-2}{4}\right)^2 + \left(\frac{y+1}{2}\right)^2 = 1$
Center	(3,0)	(-1,2)	(2,-1)
Dilations	Horiz. BAFO 2 Vert. BAFO 3	Horizontal BAFO 5 Vertical BAFO 3	Horiz. BAFO 4 Vert. BAFO 2
Graph			

center
L/R
U/D